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Newsletter of

the TI Programmable Calculator Club.

Recently, in v6n2p4, US Patent # 4,153,937, I hinted at possible hidden gold in the TI-59. John Worthington has found some of it. John has a 59 and found at least two 58's at the office that list key code 21 as "HI\*" (yes, that is HIR IND) and keycode 26 as "X!". (yes, X-factorial) On run-of-the-mill calculators both list "2ND".

So, put in user memory the following short test program: LBL A STO 00 CLR X:T "21" 0 RTN LBL B "26" RTN (Remember to put in "21" as STO 21 and subsequently to delete STO) User instructions: 1. Enter the number to be stored (or summed, subtracted or producted, or divided) into the HIR and press X:T. 2. Specify the HIR operation (e.g. to product HIR 8, write 48) and press A.

To use the X! routine, key in any integer and press B. For example, enter 5 and press B. If the display says 120, you got a winner. Otherwise, forget it. If you have a winner, though, please drop me a line and tell me what the manufacturing date is, such as ATA.... I will publish the results of this survey.

As treatened in v6n6/7, I went on vacation to see the little village in Belgium I was born in some fifty-five years ago. I met all the friends from TI-SOFT, the fantastic sister publication in Kapellen, Belgium: the dynamic Thomas Coppens and his friends Jean Verswijvelen, Annie Debaere and A. Broeckx. Because PPX in Lubbock has not provided them with any programs as yet (save the ones sent by me directly) TI-SOFT keeps an extensive library of programs at hand for its European members. I broughtwith me a selection of their best ones. Copies of them have been sent already to reviewers in the States and we will publish as many as we can.

I also met Lars Hedlund of our Swedish sister publication PROGRAMBITEN. I agreed with him that I will publish as soon as possible a listing and instructions for all the routines that supposedly will go into our own module. This to give members a chance to comment on them. However, writing the newsletter itself eats up a large chunk of my free time. I would like to delegate the authority on the module to somebody (or to some group) preferrably here in the States. (I am not prejudiced with repect to foreign members. Coordination is easier and mail goes faster here in the States). Please write me if you or your group feels they can handle this job. I would be very grateful.

Tom Coppens brought to my attention a fantastic book published in Belgium and written in English, Astronomical Formulae for Calculators, by Jean Meeus. As I saw the enormous interest this book would attract among our US members I bought one hundred of them and Tom arranged to send them over by surface mail. The full description of this book can

be found on page 11 of this issue. Because our dollar made a rather strong showing in Europe, I was able to buy those books at a favorable price. You may send for your copy at \$ 10.00 each. Please add \$ 2.00 for first class mailing costs.

Several members have complained about the keys on their calculator. Some of them miss often, while others require herculean force to make them perform. Others still are so sensitive that merely touching them produces a string of identical digits across the display. The simple solution is, of course, to exchange the calculator. But that costs you \$ 53.00 each time. Does anyone know how to disassemble and clean those keys?

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Dear Maurice,

I was sorry to hear about your Annie passing away in June.

T.J. \$ 718 other members.

I was really touched by your outpouring of sympathy. I am unable to thank each of you individually. But let this short note serve as such. It feels good to have so many kind friends, especially at a time like this. I thank you all from the bottom of my heart. Maurice.

Dear Mr. Swinnen,

in v5n1p2 you mention the existence of several printer sensing routines and in v6n2p16 of several peel off routines. Could you publish some of each in the newsletter.

Also, in v5n8p3 you list some devices produced by American Microproducts, Inc. What are exactly CROM simulators and emulators? Are the disk drives and line printers (which should not be confused with a PC100?) compter-like peripherals, but for the T1-59? If these accessories are being marketed, where can I write for further information?

A.C. Rochester, NY.

The printer sensing routine that readily comes to mind is: 20 OP 07 OP 19 CLR. If you put that at the beginning of your initialization routine, it will set flag 7 with the printer attached and not when the calculator alone is used. It is a simple trick to check flag 7 to go to a print sequence and to stop if flag 7 is not set. I also talked about printer checking routines in v5n1p2 and the PPX newsleter had something about it in vol.2, issue 3, page 1.

American Microproducts is situated in Richardson, TX. About a year ago they announced with lots of fanfare that they were going to produce (and market) a four-module selector. They even had a manual and an automatic one that could be called from a program. I used their prototype units for two weeks and found them OK. So, I put my findings in the newsletter, which prompted lots of members to inquire at American Microproducts or at their marketing division System-7. Many members complained later to me that they received no answer whatsoever. The only conclusion I can come to is, that I have been tricked in permitting the TI PPC Club to be used as a marketing survey guinea pig. I apologize and I vow it will never happen again. After almost a year I am still waiting for word if they are going to market the four-module switcher. I will not publish the address of American Microproducts here until I am assured that they are serious about the matter. In the mean time, if you want to inquire at System-7, please call Mr. Harvey Sperber at 806-792-2657. He should be in a position to give you information. As to the other peripheral TI-59 devices, I have seen pictures of them but I am not at all sure if they are available on the market. I have never seen one work. ED.

Dear Mr. Swinnen.

First of all, let me thank you for your prompt appraisal of the program I had sent you several weeks ago. I am doubly appreciative because you so graciously took so much time in the early days of your recent.....

While I was pleased to be able to prepare a program that filled a need, I realize that it falls short of the sophisticated models that I see in LRN and PPX. At the same time, I am happy that you suggested publication of my effort, as amended with your help. I hope that this step will motivate others to share their experiences with routine problems that crop up in (their respective professions).

Thank you again for your help and encouragement.

J.W. Lancaster, PA.

Published programs should be either practical (that is, help out somebody and make his daily grind a little easier) or it should teach us how to make good programs ourselves. Yours is a fine example of the first category. ED.

Dear Maurice.

I was glad you finally found Fred Fish.
Please send me a copy of the Survival Manual.

B.E.Z. & 259 other members.

The first 200 copies have been mailed and a third reprinting has been ordered. When I came back from vacation my neighbor, who had dutifully emptied the mail box each day, handed me a bag full of mail you wouldn't believe. The guys at the local post office had another surprise for me, as my P.O. Box had suffered a slight indigestion. ED.

Dear Maurice.

Among many other items, I liked very much the "Poem Machine" program by Michael Malik. It does get a bit boring after a while, though, as the random generator tends to produce the same results with a lot of different seeds. And then, of course, in your comments, you did something what we call in German "den Speck durch den Mund ziehen," (To make somebody's mouth water.ED) by mentioning the Snow-Swinnen-underground versions of the saucier kind. Why not publish them to allow the club members serious comparative studies? If they are really of the no-no kind, you might consider to make them available by special request orders only.

If you have not mailed yet my (requested article) at the time you receive this letter, no hurry at all, you might perhaps throw in a copy of your infamous works...

Dr. P.W. Switzerland.

Dear P.W.,

To paraphrase the English shool boy who, when asked to write something about the Virgin Queen, commented "As a queen she was a great success", I am compelled to remark that the "proper English-speaking and-writing Swiss doctor" has a remarkable command of the English language.

Sure, I will publish the print code register contents of the infamous version in a future issue. The more that I received at least twenty five additional requests, of which more than twenty four came from members living in California. ED.

FAST MODE, - Patrick Acosta. Up to now, the only generally known way of getting into Fast ----- Mode was the PGM 02 SBR 239 method using the ML module. There are two other ways that work:

1. STF IND 7 INV which works only from the keyboard, and

User flags ..... 9

2. a programmable version using a hex keycode STF IND h12.

Both of these methods have certain advantages over the CROM method. All three have in common that they load the calculator's flag register, the CROM method loading the flag register from the following octet, probably after first altering that octet, and the two other methods loading the flag register from the display. This flag register ( shown as register 0 in figure 19 of U.S. Patent # 4,153,937) has 16 digits. The digits relevant to fast mode are used as explained below:

USEL LIAGS	***************************************	,	U	,	U	,	
User flags	• • • • • • • • • • • • • • • • • • • •	4	3	2	1	0	
First five digits of flag register	•••••	đl	d2	<b>d</b> 3	<b>đ4</b>	<b>d</b> 5	
If the digit is							
0, 4 or 8	Both corresponding	flag	s ar	e re	set.		
1, 5 or 9	The corresponding b	otto	m fl	ag i	s se	t and	
	the corresponding t	op f	lag	is r	eset	•	
2 or 6	The corresponding t	op f	lag	is s	et a	nd	
	the corresponding b	otto.	m fl	ag i	s re	set.	
3 or 7	Both corresponding	flag	s ar	e se	t.		

The ninth through twelfth digits store the address used in any kind of jump (except RTS) are encoded as follows:

Thus, the address above would normally be 8\*(WXY)+Z, except when accessing Fast Mode when the calculator will jump to the address 8\*(WXY)+Z+1.

The thirteenth digit is called the "Program Source Flag". This digit must be 2, 4 or 6 in order to enter Fast Mode.

Digit sixteen holds the fixed-point display mode. This digit will be zero for an INV FIX display; otherwise it will be n+2 in a FIX-n display.

Now to get into the STF IND 7 INV type of Fast Mode, enter a 13-digit number into the display, with the 9th through the 12th digit encoding the address you want the Fast Mode to start at, and the 13th digit always equal to 2, 4 or 6. Then press: DEG FIX 0 RST STF IND 7 (or any other digit) INV (or B, X+T, STO, EE).

For example, pressing .00007032+44444= DEG FIX 0 RST STF IND 7 INV will clear all flags and begin execution in Fast Mode at 8\*(070)+3+1= step 564 in an INV FIX display mode. Or: 2 EE 12 +/- + 3 = RST DEG STF IND 7 INV sets flags 9 and 4 and begins Fast Mode execution ar step 001.

A few things you should watch out for:

- 1. You must be in DEG mode to enter Fast Mode. If necessary, you may later in your Fast Mode program change to RAD or GRAD mode.
- 2. You may be in FIX 9 mode when entering Fast Mode only if the number in the display shows no fractional part. Otherwise you MUST be in FIX 0.
- 3. An EE or ENG mode is alright as long as rule 2 is also followed.
- 4. The above procedure does not automatically reload the "command buffer register". So you must press RST (unless the calculator has stopped at the 7th step of an octet) to ensure that this register is loaded immediately with the keycodes you want to execute. Otherwise, the calculator will execute the instructions in the buffer register intil reloaded at the end of the octet.

- 5. You canNOT begin execution at step 000.
- 6. You must have some memory in the current partition. So, do not use 0 OP 17.
- 7. Changing the signs of the 13-digit number and /or it's exponent will change the FIX n display mode.
- 8. Using 9 as the byte within the octet (digit 12 of the flag register) sends the calculator to step (WXY)\*8+8. (Note to members unfamiliar with computer notation: the asterisk is used to denote "times or multiplication".)

As a practical matter, it is most convenient to store the 13-digit number in an available register and recall it when needed. Thus, in program memory you could write: LBL E FIX 0 DEG RCL NN R/S. Then <u>from the keyboard</u> you <u>must press E RST (This last step could be omitted if the R/S is at a step congruent to 7 modulo 8) STF IND 7 INV.</u>

For those who think this is still too much key punching, put LBL E FIX 0 DEG RCL NN STF IND in your program such that the IND is at the last step of the partition. Then you will only need to press E 7 INV. In that case, just put a CE instruction as the first step of your Fast Mode program, to clear the error condition caused by the aforementioned procedure.

This method does <u>not</u> erase your program or data or change the partitioning, as the CROM method does. But most of the ususal rules of Fast Mode still apply.

The hexadecimal method is similar to the keyboard method, with this difference that it can be programmed. Assuming the 13-digit number is stored in register NN, the sequence is LBL A FIX 0 DEG RCL NN STF IND h12. Remember that the hex key code can only be created at the first step of an octet. Since this method also doesn't immediately load the "command buffer register", only some of the next seven keycodes will be executed before the buffer is reloaded. How many and which ones are executed depends on the twelfth digit of the 13-digit number. So, to simplify matters, the instructions in the buffer register, following h12 are used to make the jump to the beginning of the Fast Mode sequence. The sequence then is

LBL A FIX 0 DEG RCL NN STF IND h12 NOP GTO NNN.

The address now loaded into the flag register is unimportant. You must only be sure that the GTO NNN is allowed to execute completely, which means that digit 12 must be 

3. And, of course, digit 13 must be 2, 4 or 6. Note that the step following h12 is always ignored. Also, any keycode ending in C (2 in display) may be substituted for h12.

The nice thing about this method is, that you may use library programs or statistics and conversion functions, then switch to Fast Mode under program control. Another nice feature, for calculators—alone programs, is that you may call the above LBL A as a subroutine in your Normal Mode program. Then, when your Fast Mode segment arrives at the RTN instruction, you return to Normal Mode at the point from which you called subroutine A. However, with the printer attached, the calculator seems to return in trace mode. (At least itdid for Palmer Hansen in one of the programs in which this was tried.) Note that the Fast Mode segment must be the lowest level subroutine. You still canNOT call subroutines in Fast Mode.

For the 58C, the STF hl2 works just as well, but Palmer Hansen found STF IND hl2 necessary on his 59. Also notice that, if you single-step past the STF IND hl2, none of the usual methods of stopping Fast Mode will work, except RST.

You can use sequences such as SBR NNN, SBR LBL, X=T LBL ( but not GTO LBL) in Fast Mode. But this will cause a return to Normal Mode and if you arrive at a RTN instruction, the calculator begins execution somewhere in the CROM, usually causing a crash.

Other methods of causing a jump in the program counter might also be sudied for possible Fast Mode access. For instance, John Mairs' keycode translation in v5n4/5pl8. Also, De Mees' quirk in v6n3p6 might be tried with various keycodes in the first octet. My 58C, besides not entering Fast Mode with PGM 02 SBR 239, doesn't have any of the CROM quirks either.

DIMENSIONS OPERATIONS. This is the fancy title we selected for the program I requested in v6n6/7p17: a program to do all four arithmetic operations to two dimensions entered in mixed feet, inches and fractions of inches.

From the many submissions we selected four that, in the opinion of the reviewers, had the most plus factors: speed, user-friendliness and good programming. The selected programs are by Jules Bell from Baltimore, Ralph Snyder from Indianapolis, Mike Shanock from Hamden, Connecticut and the duo John Worthington and Emil Regelman, from respectively Bowie, Maryland and Eagles Landing, Virginia. (Some local members have suggested that I use some sort of short-hand when mentionong the duo, such as "Worthman" or "Regelton", as their names appear so often in these pages.)

I know I will bore my European friends to death with <u>four</u> programs that deal with feet, inches and their fractions. They are used to and use exclusively centimeters, meters and kilometers ever since Napoleon did away with the el, the rod, the mile, a few of the inhabitants of France's neighbors and other, in the Marshal's view, inconsistencies. But again, as with the famous (and maybe infamous) calendar programs, the feet, inches and their fractions are of no real consequence to the majority of American and Canadian members either. Only to some civil engineers, mechanical engineers and surveyors will these programs offer any practical value. To the others it is nothing but a vehicle understood by almost everybody to learn new programming techniques.

And if you think there is nothing new in these programs, find out how Jules Bell used Program 20 of the M/U module, routine B, from steps 123 to 146, to work out his print-out logic. Or try to incorporate in your next program the t-register entry technique, so characteristic of a Worthington-Regelman program, but so seldomly encountered anywhere else.

You will find the four programs in question on the next four pages. TI-58 users will be gratified to find that each of these programs fits on their machines too.

- 1. Load bank 1.
- 2. Press A.
- 3. Re-load bank 1. Display will show a 2.
- 4. Load bank 2. Display will show a 3.
- 5. Load bank 3. Display will show a 4.
- 6. Load bank 4. Display will show a 0.
- 7. Enter an integer and press R/S. Factors will be printed.

  If you don't use a printer, write R/S at steps 090 and 101.
- 8. For a new number, go to step 7.

000 00 0 001 00 0 002 00 0 003 76 LBL 004 11 A 005 36 PGM 006 02 02 007 71 SBR 003 02 02 009 39 39 010 09 9 011 00 0 012 22 INV 013 58 FIX 014 22 INV 015 57 ENG	017 91 R/S 01 018 03 3 3 019 91 R/S 020 04 4 021 91 R/S 022 01 1 023 69 BP 024 17 17 025 25 CLR 026 91 R/S 0027 42 \$70 028 01 01 029 98 ADV 030 99 PRT 00	32 42 STU 33 02 02 34 29 CP 35 61 GTU 36 01 01 37 07 07 38 63 NUP 39 08 8 40 05 5 41 00 0 42 61 GTU 43 00 00 44 82 82 45 08 8 46 06 6 47 04 4	048 61 GTB 049 00 00 050 32 82 051 01 1 052 85 + 053 01 1 054 85 + 055 01 1 056 85 + 057 01 1 058 85 + 059 53 ( 060 43 RCL 061 02 02 062 55 +	064 01 1 065 00 0 066 54 ) 067 22 INV 068 59 INT 069 65 × 070 05 5 071 04 4 072 95 = 073 59 INT 074 65 × 075 01 1 076 04 4 077 076 04 4 077 078 01 1 079 00 0	080 07 7 081 95 = 082 42 STD 083 04 04 084 43 RCL 085 02 02 086 22 INV 087 49 FRD 083 01 01 089 99 PRT 090 68 NDP 091 83 GD* 092 04 04 093 01 1 094 32 X:T 095 43 RCL	096 01 01 097 67 EQ 098 01 01 099 01 01 100 99 PRI 101 68 NDP 102 61 GTD 103 00 00 104 25 25 105 68 NDP 106 68 NDP
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SPEEDY FACTOR FINDER ON THE TI-57.- Björn Gustavsson. Björn also enhanced this one, originally written by Bill Skillman and published in
v5n8p15. He used Peter Van Roy's trick in v5n6p12 to speed up Bill's program further.
To list this program I used Björn's "TI-57 LISTNING PÅ TI-59" program in Programbiten,
80-3, pp 26-27 and 29. (By the way, Peter Van Roy has dropped out as an active TI-57
programmer. But a new giant has appeared in the form of an Ingmar Magnusson. What I have
seen so far is impressive: A MIN/MAX program based on the Newton-Raphson method and a
calendar program for the TI-57)

SFF program on the TI-57, B. Gustavsson, listing.

PROGRAM LOADER, - Björn Gustavsson. This unique program could be a possible candidate ----- for our own module. It makes it possible to load programs without going into LRN mode!!!

#### Instructions:

- 1. Enter a register number and press or call E.
- 2a. Enter a single code and press or call A.
- 2b. Enter one to five codes and call/press B. Codes will not be separated.
- 3. When all codes are entered, press/call C.

  You may now re-partition and call the entered program with SBR nnn.

#### Example:

Let's enter the following program: LBL A STO 00 LBL CE RCL 00 X DSZ 0 CE 1 = RTN We want the program to begin at step 480, so we enter 59 as the register number and we press E. Then we enter the key codes as follows:

### 7611 B 4200 B 7624 B 4300 B 65 A 970024 B 1 A 95 A 92 A C

To run the entered program, first press 2nd CP to clear the loading program. Re-partition by pressing 5 OP 17. Then enter, say, 5 and press A. See 120 displayed. (you might have noticed by now that this is a factorial program)

You can list the program by pressing GTO 480 2nd LIST. As you can see, there are a lot of "2nd" steps in it. They will not bother the program, as they have the effect of a NOP instruction. (with an additional advantage that it can be created at any and every step in memory)

The "A" routine is intended for entering single codes. The "B" routine for those that cannot be separated, such as 4201 (STO 01) or 970024 (DSZ 0 CE). This routine will fill part of a register with "2nd" (code 26) instructions and place the codes in the next register, in order to avoid separation.

This program could be used by a TI-57 compiler, which translates TI-57 key codes into a program for the TI-59 and loads it ! (and runs it, of course !)

000 76 LBL 028 32 X:T 056 00 0 0 0 0 1 3 C 029 48 EXC 057 69 BP 002 43 FCL 030 01 01 058 30 3 003 01 01 031 44 SUM 059 01 1 004 29 CP 032 02 02 066 53 6 005 67 EQ 033 93 . 061 48 EXC 005 67 EQ 033 93 . 061 48 EXC 006 00 00 034 00 0 062 01 0 062 01 0 062 01 0 062 01 0 062 01 1 0 063 65 X 008 02 2 036 49 FRD 064 93 . 009 06 6 037 02 02 065 01 1 0 063 65 X 02 02 02 066 01 1 0 069 51 00 065 01 1 0 063 01 1 0 063 01 1 0 063 01 1 0 063 01 1 0 063 01 1 0 063 01 1 0 063 01 1 0 065 01 1 0 007 01 1 0 0 0 0 065 01 1 0 0 0 0 065 01 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	084 52 EE 112 34 FX 085 22 INV 113 28 LDG 086 52 EE 114 59 INT 087 72 ST* 115 42 STD 088 00 00 117 22 INV 090 92 RTH 118 28 LDG 091 44 SUM 119 33 X2 092 02 02 120 52 EE 093 43 RCL 121 22 INV 094 02 02 121 52 EE 095 94 +/- 123 54 ) 096 64 FP* 124 82 HIF 097 00 00 125 04 04 098 69 DP 126 69 DP 099 30 30 30 127 23 23 100 00 0 128 43 RCL 101 42 STD 129 03 03 102 01 01 130 32 X/T 103 92 PIN 131 53 ( 104 76 LBL 132 06 6 105 12 B 133 75 - 106 53 ( 134 43 FCL 107 29 CP 135 01 01 108 55 + 136 54 ) 109 67 EG 113 137 77 GE 110 01 01 01 138 01 01 111 15 15 15 139 41 41	140 13 C
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DIMENSIONS (feet, inches, fractions) OPERATIONS, - Ralph W. Snyder. This program adds, subtracts, multiplies or divides two (and more) dimensions expressed in feet, inches and fractions of inches.

The entry format is FF.IISS in which FF=feet, II=inches and SS=16ths of an inch.

Printout: Each dimension as entered is printed in FF.IISS format, followed by an F.f printout, in which F=feet and .f=decimal fraction of a foot. Answer also given in F.f. Optional printout: after answer in F.f,it's possible to obtain an answer in FF.IISS.

Run Time: about 1 sec per dimension, with printout. 1 Sec for reconversion to FF.IISS.

#### User Instructions:

- 1. Enter first dimension in FF.IISS format and press A.
- 2a Enter second dimension in FF.IISS format.
- b To add, press B; to subtract press +/- B; repeat 2a, 2b as often as needed.
- c For sq.ft, press C.
  - For cu.ft, after step 2c, enter third dimension and press C.
- d To divide, press D.
- 3 Optional after steps 2b, 2c or 2d, press R/S for reconversion to FF.IISS format.

#### Example:

Suppose you want to add 2' 6 3/4'' to 3' 2 7/16''. (remember to mentally convert fractions of inches to 16ths of inches. So 3/4'' becomes 12/16'')

Enter 2.0612 and press A. Print outs: 2.0612 and 2.5625 (the last one is F.f format)

Enter 3.0207 and press B. Print outs: 3.0207 and 5.765625 (sum in F.f format)

To reconvert the result, press R/S. Print out: 5.0903 or 5'9 3/16"

To subtract say  $3' \frac{1}{2}$ " for this result:

Enter 3.0008 +/- B. Print out: -3.0008, 3.041666667 (input in F.f) and 2.723958333 (the answer in F.f format)

To reconvert the answer, press R/S. Print out: 2.0811 or 2' 8 11/16".

Suppose you want to multiply 4' 8 5/8" with 3' 2 7/16".

Enter 4.0810 and press A. See sample print out.

Enter 3.0207 and press C. Press R/S to reconvert.

Suppose you now want to multiply this result by 3' 6 3/8".

Enter 3.0606 and press C. To reconvert, press R/S.

Suppose you now want to devide this result by 3'6 3/8".

Enter 3.0606 and press D. To reconvert, press R/S.

All print-outs of the examples are shown below with the program listing.

Derivations as follows:

F.f = FF + 
$$\frac{II}{12}$$
 +  $\frac{SS}{12 \times 16}$  = FF +  $\frac{II}{12}$  +  $\frac{\frac{SS}{100} \times \frac{25}{14}}{12}$  = FF +  $\frac{II}{12}$  +  $\frac{.SS \left[1 + \frac{21}{14}\right]}{12}$  = FF +  $\frac{II.SS + .SS \times 21/4}{12}$ 

FF.IISS = F.f - .f +  $\frac{.f \times 12 - .i}{100}$  +  $\frac{.i \times 16}{100 \times 100}$  = F +  $\frac{.f \times 12}{100}$  -  $\frac{.i}{100}$  +  $\frac{.i \times .16}{100}$ 

FF.IISS = F +  $\frac{.f \times 12}{100}$  -  $\frac{.i(1 - .16)}{100}$  = F +  $\frac{.f \times 12 - .i \times .8l_1}{100}$ , where .f = decimal foot and .i = decimal inch generated by .fx12.

Note that conversion and reconversion is programmed in 16ths mode. That is, limit on fractions is 16ths, and all fractions with denominators less than 16 are changed mentally to 16ths before entering. However, if your particular discipline requires you to work more with either 8ths or 4ths, it is possible to reprogram for those alternatives.

Mode.	Steps 018 through 021 (conversion)	Steps 096 through 098. (Reconv.)
16ths	2 1 DIV 4	. 8 4
8ths	2 3 DIV 2	. 9 2
4ths	2 4 NOP NOP	. 9 6

DIM.OPS.	Ralph	Snyder.	program	listing.
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#### User Instructions:

- 1. Enter feet and press A.
- 2. Enter inches and press B.
- 3. Enter numerator of the fraction and press C.
- 4. Enter denominator of the fraction and press D.
- 5. Call for conversion to feet, inches and fraction to nearest 16ths, press E.
- 6. To convert feet in fractions to feet/inches/fraction: Enter feet in fractional form and press 2nd E'.

Note that answers may be added, subtracted, multiplied or divided by using the four operations keys and the equal sign. For example:

The sum of 7' 11  $\frac{1}{4}$ " and 5' 3/8" is to divided by 3 and expressed in feet-inches to the nearest 16th of an inch:

ENTER	PRESS	DISPLAY
7	Α	7
11	В	7.9166
1	С	disregard
4	D	7.9375
	+	
5	Α	5
0	В	0
3	С	disregard
8	D	12.96875 (total feet)
	DIV 3 =	4.3229
	2nd E <sup>t</sup>	4 (feet)
		3 (inches)
		14 (16ths)= 7/8"

The user may, on occasion, get an answer which includes 16/16, for example, 8.4978 feet converts to 8' 5 16/16''. This indicates that the dimension is less than, but rounds out to 8' 6''.

To change fractional roundoff, replace the digits 16 (steps 065-066) with whatever roundoff denominator is desired.

One could elaborate on this program some more, adding bells and whistles such as descriptors, user entry of roundoff factor before starting the program (store that factor and recall it at steps 065-066. But store it in a register that gets recorded on the mag card, together with the program.) etc. etc.

DIM.OPS., Mike Shanok, - program listing.

11. 000 76 LBL 014 59 INT 5. 001 16 A' 015 92 PTN 016 76 LBL 11.96875 003 32 XIT 017 11 A 005 95 = 019 53 ' 010 006 59 INT 020 32 XIT 017 018 32 XIT 018 3. 007 66 PAU 021 85 + 3. 009 66 PAU 022 99 PPT 024 00 00 00 011 99 PRT 024 00 00 011 99 PRT 025 91 PIS 5. 012 32 XIT 025 76 LBL 16.	027 12 B 040 01 1 028 99 PRT 041 02 2 029 55 + 042 55 - 030 01 1 043 91 P-5 031 02 2 044 76 LBL 032 85 + 045 14 D 033 42 STD 046 99 PRT 034 00 00 047 95 = 035 31 P-5 036 76 LBL 049 99 PRT 037 13 C 050 98 ADV 038 99 PRT 051 98 PS 039 55 + 052 76 LBL	053 15 E 054 25 CLP 055 43 RCL 056 00 00 057 76 LBL 059 16 A· 060 65 × 061 01 1 062 02 2 063 16 A· 064 65 × 065 01 1	065 06 6 067 05 FIX 069 10 00 070 52 EE 073 52 EE 073 52 EE 074 53 PRI 074 53 PRI 075 53 ADV 076 53 ADV 077 53 ADV
---	--	---	--

DIMENSIONS OPERATIONS, (feet, inches, fractions)- Jules Bell. This program will add, ----- subtract, multiply and divide two dimensions expressed in feet, inches and fractions of inches.

NOTE: THIS PROGRAM REQUIRES THE M/U MODULE.

#### User instructions:

Press E to initialize.

Enter feet and press A.

Enter inches and press B.

Enter fractions of inches in format NN.DD in which NN is the numerator and DD is the denominator of the fraction. Thus 5/16 is entered as 5.16 and 1/2 as 1.02.

Enter the FUNCTION DIGIT and press D.

For addition enter 1.

For subtraction enter 2.

For multiplication enter 3.

For division enter 4.

Enter second dimension, same method as above, through keys A, B and C. The result will be <u>printed only</u> in three lines with descriptors, in feet, inches and 32nds of inches.

Note that zero entries must be entered as 0.

To multiply or didide by a  $\underline{\text{factor}}$ , do all the steps up to and including the entering of either 3 for multiply or  $\underline{\text{4}}$  for divide and pressing D. Then enter the factor and press 2nd A'. The result only will be printed.

		<del></del>	r · · · · · · · · · · · · · · · · · · ·	I		
19. FEET 2. INCH 31.0 32ND 3. FEET 6. INCH 1.0 32ND  9. FEET 10. INCH 4.2 32ND  21. FEET 4. INCH 0.0 32ND  10. FEET 8. INCH 10. I	017 91 P/S 018 76 LBL 019 14 D 020 42 STU 021 03 03 022 86 STF 023 40 IND 024 03 03 025 65 × 026 02 2 027 85 + 028 03 3 029 02 2 030 95 = 031 48 EXC 032 93 03 03 033 91 P/S 034 85 + 035 32 PTH 035 75 PTH 040 55 PTH 041 55 PTH 042 76 LBL 043 16 R* 044 22 INV 045 87 IFF 050 06 06 06 047 00 00 048 66 66 049 87 IFF 050 050 050 052 66 66 053 87 IFF 054 01 01 0556 66 66 057 87 IFF	058 02 02 02 059 00 00 060 061 36 37F 050 063 061 061 061 062 05 05 063 061 064 064 066 36 FGM 066 36 FGM 067 02 02 071 17 8 067 15 E 073 76 LBL 074 13 C 075 29 CP 076 67 E0 077 00 00 00 078 92 92 079 82 HIR 084 16 16 085 22 INV 086 59 INT 082 55 + 083 82 HIR 084 16 16 085 22 INV 086 59 INT 087 55 + 088 01 1 089 02 2 099 00 0 0 091 00 0 0 092 54 ) 093 85 HIR 094 17 17 096 55 - 097 098 02 2	099 54 ) 100 85 + 101 82 HIP 102 18 18 103 54 ) 104 87 IFF 105 06 06 106 01 01 107 13 13 108 86 STF 109 06 06 110 92 HIP 111 05 07 113 32 XIT 114 82 HIP 115 15 15 116 71 SBP 117 40 IND 118 03 03 119 32 XIT 114 82 HIP 117 55 15 116 71 SBP 117 40 STD 128 32 XIT 129 03 03 120 20 20 121 42 STD 122 32 PGM 124 20 E PGM 124 20 E PGM 124 20 E PGM 125 12 E PGM 126 22 INX 127 03 3 130 67 E PGM 132 01 07 E PGM 133 47 47 134 03 3 135 67 E PGM 136 02 02 137 16 16 16 138 04 4 139 05 5	140 67 EQ 141 01 01 142 47 47 143 04 4 4 144 02 02 145 54 54 147 02 2 148 01 1 150 07 7 151 01 1 152 07 7 153 03 3 154 04 04 157 02 1 159 02 1 159 02 1 159 02 1 160 09 09 161 06 06 06 162 02 2 163 04 4 164 03 3 165 01 1 166 01 1 167 05 5 168 02 2 169 02 02 170 04 04 172 43 ROL 173 02 1 174 04 175 59 INT 176 65 1 177 01 1 178 02 2 179 02 1 179 02 1 179 02 1 179 02 1 179 02 2 179 02 2 179 02 5 170 04 04 171 05 5 170 04 04 171 05 5 171 07 07 1 172 02 1 173 02 2 174 02 1 175 59 EE	181 22 INV 182 52 EE 183 42 STO 184 02 002 185 59 INT 186 69 OP 187 06 06 189 04 4 190 00 0 191 03 3 192 01 1 194 01 1 195 06 6 197 04 04 199 02 INV 200 55 INT 200 55 INT 200 55 INT 200 55 INT 200 55 FIX 201 01 01 217 02 22 208 05 5 209 95 = 210 07 07 08 211 01 01 212 69 OP 213 06 06 214 98 ADV 215 15 E 216 03 3 217 06 66 214 98 ADV 215 15 15 216 03 3 217 06 66 218 03 3 219 04 4 220 02 2 221 01 1	33 3 7 7 1014 69 00 4 4 8 1014 02 2 2 1014 03 3 3 115 04 04 4 4 2 115 03 3 3 115 03 06 6 6 115 03 06 6 6 115 03 06 6 6 115 03 06 6 6 115 03 06 6 6 115 03 06 6 6 115 03 06 6 6 115 03 06 6 6 115 03 06 6 6 115 03 06 06 6 115 03 06 06 6 115 03 06 06 6 115 03 06 06 6 115 05 06 06 06 115 06 06 115 06 06 06 115 06 06 06 115 06 06 115 06 06 115 06 06 115 06 06 115 06 06 115 06 06 115 06 06 115 06 06 115 06 06 115 06 06 115 06 06 115 06 06 115 06 06 115 06 06 115 06 06 115 06 06 115 06 06 115 06 06 115 06 06 06 06 115 06 06 06 06 06 06 06 06 06 06 06 06 06

DIMENSIONS OPERATIONS (feet, inches), John Worthington and Emil Regelman. This program will add, subtract, multiply and divide two dimensions entered in the form FF.II in which FF is the number of feet and II the number of inches. It will also permit to raise a mixed dimension to the power of a factor or of another mixed dimension! It also allows to multiply or divide by a factor. Two routines are provided to convert dimensions from FF.II into FF.fractional feet and vice versa. The program works only with the printer attached, but does not require a module.

FF.II → FF.ff	FF.ff → FF.II	X N	DIV N	γ× N
+	•	Х	DIV	γ×

#### **USER INSTRUCTIONS:**

- 1. Always enter the first dimension into the t-register. Enter and press X:T.
- 2. To add to the first dimension, enter the second one and press A.
- 3. To subtract from the first dimension, enter the second one and press B.
- 4. To multiply by the first dimension, enter the second one and press C.
- 5. To divide the first by the second dimension, enter the second one and press D.
- 6. To raise the first to the power of the second one, enter the second one and press E.
- 7. To multiply by a factor, enter the factor and press 2nd C'.
- 8. To divide by a factor, enter the factor and press 2nd D'.
- 9. To raise to the power of a factor, enter the factor and press 2nd E'.
- 10. To convert feet.inches to feet.fractional feet, enter FF.II and press 2nd A'.
- 11. To convert feet.fractional feet to feet.inches, enter FF.ff and press 2nd B'.

The results of 2 through 9 are printed only; 10 and 11 are displayed only. It would be rather simple to modify the program to add print commands to routines A' and B', if required. (it would play havoc in other routines, though)

10. 04 12. 09 23. 01 23. 01 10. 04 12. 09 10. 04 1. 02 13. 00666667 100. 1 10. 92 9. 110163934 6. 05 10. 04 76. 061281 3 10. 08 2. 21. 04 21. 04 21. 04	FT. 1	000 76 LBL 001 69 DP 002 82 HIR 003 07 07 004 01 1 005 02 2 1NV 007 28 LDG 008 28 LDG 009 08 08 010 02 2 011 01 1 012 03 3 013 07 7 014 04 4 015 00 0 0 016 03 3 017 08 HIR 019 38 3 020 82 HIR 019 38 6 DF 019 38 138 020 82 HIR 021 17 0 0 016 03 3 017 08 HIR 021 17 17 17 17 17 17 17 17 17 17 17 17 17	045 76 LBL 046 17 B < 047 53 CE   048 553 EE   050 559 88   051 59 INTR   052 90 00   053 65   055 65	091 17 B* 092 71 BBR 093 69 BBR 093 69 BBR 094 16 A* 095 75 - 096 69 DP 097 00 00 098 01 1 099 00 0 101 02 2 102 61 GTD 103 75 LBL 106 18 C* 107 86 STF 108 01 01 109 76 LBL 110 13 C CTD 111 15 8 C CTD 112 32 X: T 113 16 AP 114 17 B' 115 69 BP 117 16 AP 118 65 X: T 119 69 BP 117 16 AP 119 69 BP 1	136 16 A* 137 17 B* 138 71 7 B* 139 71 7 B* 140 16 A* 141 01 16 17 55 + 142 69 DP 143 00 0 0 144 01 1 1 145 00 0 0 147 07 7 148 01 GTU 150 75 LBL 150 76 LBL 151 76 LBL 152 76 LBL 153 86 STF 155 76 LBL 157 158 86 STF 156 87 00 00 00 00 00 00 00 00 00 00 00 00 00	180 87 IFF 181 01 01 183 90 90 183 90 90 185 17 8P 186 71 SBP 188 16 ABL 190 99 PRIT 191 32 2 193 00 0 2 195 02 02 195 02 02 195 02 02 197 00 0 198 02 0 201 00 0 201
2. 10.08 10.06	FT. I			129 19 D' 130 86 STF 131 01 01 132 76 LBL 133 14 D 134 53 (		
72 3. 1157.075	FT. I	<u>044 92 RTN</u>	089 32 X:T 090 16 A°	135 32 H?T		225 01 01 225 921RTN

ASTRONOMICAL FORMULAE FOR CALCULATORS, - Jean Meeus, Volkssterrenwacht (Popular Observatory) at Hove and Vereniging voor Astronomie (Society for Astronomy) at Brussels, Belgium,

185 pages, Vol. 4, 1978. This book, written in English, intends to be a guide to the amateur astronomer who wants to do calculations. It is NOT intended as a general text-book on astronomy. Elementary knowledge of astronomy is taken for granted. It contains a wealth of formulas and worked-out problems to satisfy even the most demanding amateur astronomer.

It does NOT contain <u>programs</u> either. But it directs itself specifically to the amateur astronomer who has a <u>programmable</u> calculator. Using the formulas as a guide, it will be a cinch to develop complete and practical programs for either the AOS or the RPN variety of programmable calculators. In fact, this book will, in my humble opinion, keep astromer-programmers busy for years to come.

The book does not treat all possible subjects of astronomy. You will not find anything here on orbit determination, nor on occultation of stars by the moon, but you will find the following thirty-nine chapters:

- 1. Hints and tips.
- 2. Interpolation.
- 3. Julian Day and Calendar Date.
- 4. Date of Easter.
- 5. Ephimeris Time & Universal Time.
- 6. Geocentric Rectangular Coordinates of an Observer.
- 7. Sideral Time at Greenwich.
- 8. Transformation of Coordinates.
- 9. Angular Separation.
- 10. Conjunction between two Planets.
- 11. Bodies in Straight Line.
- 12. Smallest Circle containing three Celestial Bodies.
- 13. Position Angle of the Moon's Bright Limb.
- 14. Precession.
- 15. Nutation.
- 16. Apparent Place of a Star.
- 17. Reduction of the Ecliptical Elements from one Equinox to another one.

- 18. Solar Coordinates.
- 19. Rectangular Coordinates of the Sun.
- 20. Equinoxes and Solstices.
- 21. Equation of Time.
- 22. Equation of Kepler.
- 23. Elements of the Planetary Orbit.
- 24. Elliptic Motion.
- 25. Planets: Principal Perturbations.
- 26. Parabolic Motion.
- 27. Planets in Perihelion and Aphohelion.
- 28. Passages through the Nodes.
- 29. Correction for Paralax.
- 30. Position of the Moon.
- 31. Illuminated Fraction of the Moon's Disk.
- 32. Phases of the Moon.
- 33. Eclipses.
- 34. Illuminated Fraction of the Disk of a Planet.
- 35. Positions of the Satellites of Jupiter.
- 36. Semi-diameters of the Sun, the Moon and the Planets.
- 37. Stellar Magnitude.
- 38. Binary Stars.
- 39. Linear Regression; Correlation.

In writing a program to solve some astronomical problem, it will be required sometimes to study more than one chapter. For instance, in order to create a program for the calculation of the Sun's altitude for a given time of a given date at a given place, one must convert the time and date to Julian Date (chapter 3), then calculate the Sun's longitude for that time (chapter 18), its right ascension (chapter 8), the sideral time (chapter 7 ) and finally the required altitude of the Sun (chapter 8 again).

This is a delightful book.

PARABOLIC CURVE FIT, - According to Asa Reed, this program which appeared in v6n6/7p28, has to errors: Reg.61 should end in 00, not in 10, and step 008 should be E', not IxI.

BACKGAMMON. - Those who have this program by Brian Sladen, PPX # 918217, should make the ------ following correction to it. Lem Matteson tells me that it concerns card 2A, page 21. Starting with step 328 and ending with step 349, key in these new steps:

RCL 00 - INT STO 00 = X 10 = EXC 00 DIV 10 = SUM 00 X:T ADV RTN

There is not enough space available here to print Lem's two page justification for this correction. Backgammon fanatics may send me a SASE to obtain a copy of Lem's epistle.

CERTIFICATE OF DEPOSIT COMPARISON PROGRAM , J.W. Beattie, Lancaster PA.

To determine potential gain or loss if proceeds of Certificate of Deposit are prematurely withdrawn for re-investment at a higher interest rate. Purpose:

Read card: Sides 1 & 3 Initialize program	EVTER:	PRESS: RST E	PRINTER: 0 DDATE
	Deposit date, or date of most recent interest payment. (See Note 1). MyDD.YYYY	R/S	nnnn . nnnn CDATE
	Current date: MMD.YYYY	R/S	nnnn.nnnn -DAYS nnn CDATE nnnn.nnnn
	Maturity Date: MMDD.YYYY	R/S	nnnn.nnnn +DAYS nnn PRIN.
	Sum deposited: nnnnn.nn	R/S	MON %
	Interest rate: nn.nn	R/S	nn.nn HOLD? SUM 1 nnnnn.nn PNLTY nnn.nn PRIN. nnnnn.nn
	Projected interest rate: nn.nn	R/S	nn.nn SUM 2 nnnnn.nn +/- nnnn.nn ALA.%
	Alternate interest rate: nn.nn	R/S	nn.nn = DAYS nnn

# NOTES

Program will calculate present value (P.VAL) and principal remaining after penalty as though interest has been accumulated from original date of deposit.

When present value and principal, after penalty, must be modified by reason of periodic prior payments of interest, however, the date of the most recent interest payment must be substituted for the original date of deposit.

- 2. Program is designed to calculate a penalty of six months' interest by dividing annual interest by 2. When a specific situation requires an alternate calculation, GTO 178 to correct the divisor.
- 5. (= % 6 MO) was included in program to display what interest rate must be applied to principal, after penalty, to match SUM 1 in only six months.
- . (= DAYS) displays and prints the number of days which will be required to match SUM 1 if principal, after penalty, is invested at an alternate rate.
- 5. Responses printed as described in 3 and  $^{\rm 4},$  above, may be verified from the keyboard as follows:

ħ #	RCL	27	×	RCL	25	4.	RCL	₹	×	(= DAYS)	+	RCL	27	11	SUM 1	(Approx) *
# 3	RCL	27	×	(= %  GWO)	-1-	2	+	RCL	27	. 11	SUM 1	(Approx) *				

\* Allow for variation created by "FIX" selection.

DDATE 101.1975 CDATE -DAYS 2387. CDATE 715.1981 MDATE 1231.1985 +DRYS 1630. PRIN. 9000.00 % NDW 16.50 HDLD? SUM 1 17.50 FRIN. 742.50 FRIN. 742.50 FRIN. 32011.88 + / - 6668.75	chu 0.82 RLT.% 20.50 =DAYS 731. Sample output.
365. 34 1616133717. 35 1516133717. 36 2016134536. 37 1516133717. 38 3016133717. 39 4716134536. 40 4716134536. 41 4716134237. 42 2335243140. 44 3340421327. 45 3340421327. 45 335243140. 47 2141374061. 48 464161374061. 55 6416134536. 51 6416134536. 55 0. 55 0. 55	
192 17 17 17 193 75 - 1 194 43 RCL 195 27 27 27 196 95 8 11 11 199 55 8 200 43 RCL 200 95 8 200 99 PRT 200 99 PRT 213 25 214 10 E 215 219 27 220 55 25 220 55 8 25 25 25 25 25 25 25 25 25 25 25 25 25	7477789000000000000000000000000000000000
144 43 RCL 145 19 19 146 75 - 148 18 18 149 95 = 150 42 STD 151 27 27 152 99 PRT 154 99 PRT 156 55 + 157 19 D 158 42 STD 159 20 20 161 43 RCL 165 27 27 165 55 + 165 55 + 165 55 + 165 20 20 167 20 20 168 85 + 170 43 RCL 169 85 × 171 13 13 172 95 = 173 85 + 174 43 RCL	7.07 0 0 0 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
096 42 STD 098 43 RCL 099 12 12 100 85 4 101 43 RCL 102 95 7 103 95 7 104 42 STD 105 56 26 106 65 X 107 42 STD 108 16 16 119 95 7 111 43 RCL 111 43 RCL 112 95 7 113 95 7 114 42 STD 115 10 10 116 99 PRT 117 13 10 118 43 RCL 118 43 RCL 118 43 RCL 128 43 RCL 129 65 4 120 10 121 12 12 122 12 12 123 12 12 124 65 X	V4 W 4 W 4 W C W 4 W V M W W C W C D W W 4 D W W W W W C C
048 00 00 0049 69 00 0050 01 01 01 01 01 01 05 05 05 05 05 05 05 05 05 05 05 05 05	2011 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
000 76 LBL 001 16 A' 002 42 STD 003 06 06 004 36 PGM 005 20 20 006 11 A 009 99 PRT 010 10 E' 011 92 RTN 012 76 LBL 013 17 B' 014 42 STD 015 06 06 017 20 20 018 12 B 019 43 RCL 020 06 06 021 99 PRT 022 10 E' 023 92 RTN 024 76 LBL 025 13 C' 025 36 PGM 027 10 E' 028 92 RTN 029 76 LBL 029 76 LBL	12

#### BATTERY POWER IN AN EMERGENCY -, Bob Fruit.

I was stuck. I had a real need to use my TI-59, the battery packs were dead, and I couldn't get the wall recharger for several weeks. The problem I was looking at would probably require 20 hours of run time. If I had enough battery packs (which I don't) I could have restarted the calculator everytime it ran out of power. It would be inconvenient and would have required the wall recharger to charge up the battery packs in the first place.

The solution I found was to get a 6 volt lantern battery to power the calculator. I determined the polarity of the battery pack (the positive terminal is the one nearest to the module access door) and attached the battery to the calculator using alligator clips. The calculator ran fine without one puff of smoke.

Before considering to use the 6 volt lantern battery, I estimated the calculator runs on 4 volts from the battery pack, and estimated 4.5 volts at the battery pack terminals when using the wall recharger. This puts the lantern battery only 1.5 volts over the range normally experenced by the calculator. Because of my needs at the time, I decided to try it and see what would happen. As I have already said it worked great.

There is an added benefit. That is the amount of power in a 6 volt lantern battery. It is rated to have more then 55 watt hours of power. Compare that to the 2 watt hours in the TI supplied battery packs (estimated using normal values for ni-cad batteries).

Before I try this solution again I would be interested in hearing from people who are more hardware knowledgeable than I am. How close did I come to exceeding the calculators capacity to with stand the applied voltage? Could the excess power put too many amps through a critical component? I didn't use the card reader or use a module.

All I can say is this solution got me through a tight spot without any apparent trouble.

This handbook provides specialists and non-specialist alike with all the necessary information for designing over twenty low-cost, well-proven active filters usable in most practical applications. It uses readily accesible equations, flow charts and computer print-outs in Basic, Fortran and TI-59 language. Detailed flowcharts permit the design programs to be rewritten in any other program language, such as APL or Pascal.

Bob advices also to friction-fit the paper-roller axle with a plastic disk on the right side, so that the axle will dislodge less frequently when you carry the printer around a lot.

## A LOOK AT THE DECIMAL TO FRACTION CONVERSION ROUTINE , Bob Fruit.

John worthington's and Emil Regelman's Decimal to Fraction Conversion Routine (V6N2P14) caught my attention. It appered to be an example of a heigher mathematics cannon being used to solve a simple problem. After spending the time to crack the algorithm used it no longer appears to be a case of heigher mathematics overkill.

To find out if the technique used was really necessary I compared the results from John and Emil's program with the results from what appeared to be the obvious solution to this problem. That is to take the interger portion of the decimal X  $10^{\rm N}$ , N being the number of decimal places wanted, over  $10^{\rm N}$ . Then use Euclid's algorithm to find the greatest common divisor (GCD) of the two numbers, and reduce the fraction to its lowest terms using the GCD.

00:R/S STO 01 R/S FIX 0 INV LOG EE INV EE STO 04 STO 02 X 16:RCL 01 = EE INV EE INT STO 03 STO 05 CP INV FIX RCL 04 32:- ( CE DIV RCL 03 STO 04 ) INT X RCL 03 = STO 03 INV X=T 50:0 30 RCL 05 DIV RCL 04 = X:T RCL 02 DIV rcl 04 = RST

Above is my quick and dirty program to try my alternative	10 <sup>N</sup>	GCD	J+E
method. It is only 30% as long as is John and Emil's.	2	157 50	355 113
Of course their program has bells and whistles to make it	3	$\frac{1571}{500}$	355 113
easier to use. I used the value of $\mathcal{T}$ for my experiments.	4	3927 1250	355 113
	5	314159 100000	355 113
Analyzing the results shown here does say John and Emil's	6	3141593 1000000	355 113
algorithm gives more pleasing results. The GCD method is	7	31415927	75948
fast and it does have a cer- tain effiency at reproducing	8	10000000 62831853	24175 100798
the given decimal exactly.  Even though John and Emil's	9	20000000 1570796327	32085 103993
program is a lot slower I find I like its fractions a lot more.		500000000	33102
T TIME ICS TIRCCIONS & TOC WOLC.			

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CALCULATE TIME RESPONSE FROM A CIRCUIT'S POLES AND ZEROS, Colin Gyles, Data Precision

Corporation, Danvers Indus-

trial Park, Danvers, MA. 01923, Electronic Design, August 20, 1981, pp 147-149.

The transfer function of a circuit can be expressed by its zeros and poles in the Laplacian or "s: domain. The "s to t program" for a TI-59 programmable calculator will provide the circuit's response to an impulse function in the time domain.

The author had the forsight to make the register format for the poles and the zeros deliberately identical to the one used by Javier Vizcaino in the PPX program # 658049, Open-loop Bode Diagram, so that the circuit's response, as well as the time response, could be conveniently obtained once a circuit's poles and zeros were determined.

NEWCOMER'S CORNER. - Michael Shanok. - (Mike is one of the four TI-59 seminar teachers. ------ Yours truly is another one. ED)

One of the simplest, yet least understood features of TI calculators is the Algebraic Operating System (AOS). A full mastery of its calculating hierarchy is often missed by experienced users, because it was at the beginning of the book, mixed in with all the "simple stuff" and therefore not studied carefully.

To begin with, algebraic hierarchy is a universal mathematical convention which we all unwittingly learned in algebra class. Because algebra seemed scary enough at the time, (and perhaps because the teacher didn't know either) we were not told that we were learning algebraic hierarchy. It is a "pecking order", establishing which functions are to be computed first.

At the top of the list are <u>single variable functions</u>, such as  $x^2$ ,  $\sqrt{x}$ , 1/x, trig and log functions. Notice that all of these are immediately solved by the calculator, as they are called for, and are never left as pending operations.

Next are <u>double variable functions</u>, the powers and roots ( $y^x$  and  $\sqrt{y}$ ). Their solution awaits the pressing of an equal sign or of the closed parenthesis key, or the execution of any lower hierarchy function, rather than being performed immediately.

As an example, if we wish to solve for  $3.5^2$  raised to the  $\sqrt{2}$  power, X 5, we would enter 3.5, press the x key followed by the y key, then enter 2 and press the  $\sqrt{x}$  key. As we then pressed the X key, the calculator would solve the expression (34.58..), because the y function had a hierarchy higher than that of the multiplication function. Notice that no parenthesis whatsoever are required.

The next lower hierarchy level is that of the <u>multiplication</u> and <u>division functions</u>. Below these are the <u>addition</u> and <u>subtraction functions</u>. Note that the addition of a list of "quantity X cost figures" requires no parenthesis. Each time a quantity is multiplied by a cost, pressing the + sign makes the calculator "look back" for a pending operation with a higher hierarchy, find the multiplication problem and solve it before proceding with the lower hierarchy addition problem. As an example, 15 X 7.5 + 11 X 3.6 + 2 X 7.8 = 167.7 needs no parenthesis for its solution. As a further exercise, note that the expression 2 + 8 X 4 is solved by letting the + sit as a pending operation, while 8 X 4 = 32 is first solved as a higher hierarchy operation, resulting in an answer of 34 when the = key is pressed.

Once a pending upper hierarchy operation is solved, the calculator continues to solve the simplified expression from left to right. This is the lowest level of hierarchy operation.

Parenthesis are the calculator's tools for intentionally blocking the AOS hierarchy. The skilled programmer uses them for no other purpose and seldom, if ever, uses them where they are not necessary. For instance, they would be employed if the user wanted to know the "breakout" of each quantity X the price in the previous example, by nesting each quantity X price between parenthesis. Nota that, when one expression is nested within another, the calculator solves the innermost nests are their closed parenthesis are encountered.

Finally, three important rules about parenthesis:

- 1. The calculator does not assume the convention of two concurrent nests of parenthesis to call for multiplication. For example, for (a+b)(c+d) to denote multiplication, it must be entered as (a+b)X(c+d).
- 2. The calculator assumes all expressions to start with an unlimited number of open parenthesis. As an example, the open parenthesis before a, in the previous example, could have been omitted.
- 3. An equal sign automatically closes all pending parenthesis. Therefore, the closed parenthesis after the d, in the previous expression, if followed by an = sign, could also have been omitted. Note that in modules, otherwise open and closed parenthesis have been included, so that the user may emply them as subroutines.

Next time you see an expression, such as  $((((((14)\sqrt{x}) y^x) y^x) RCL 01) X 5) + 7 ln))) = ,$  just smile knowingly.

maurie